

Master's Thesis

A Dual-Resonant Microstrip UHF RFID "Cargo Tag" with a CPW Structure for the Feed and Matching Circuit

Supreetha Aroor

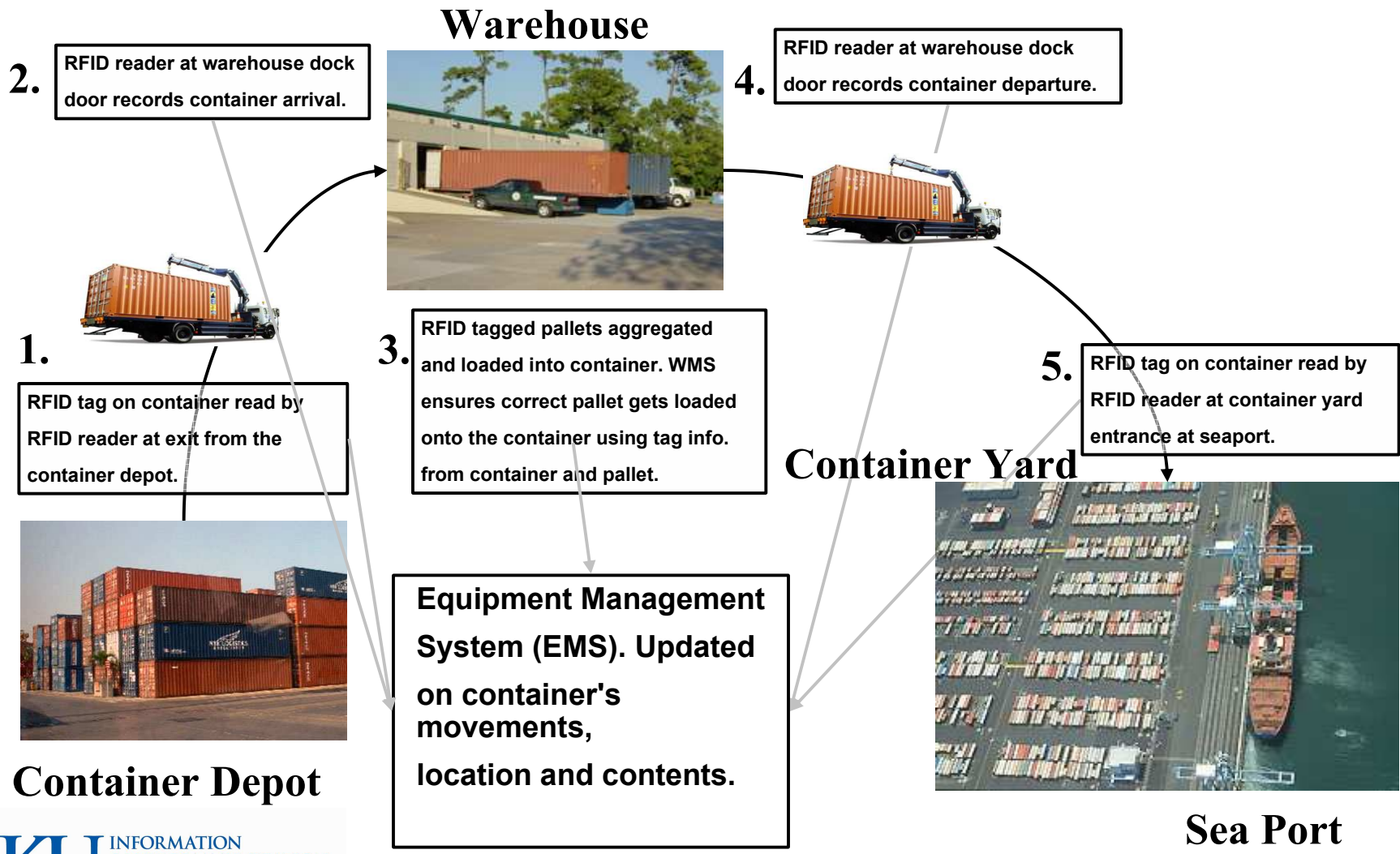
Committee

Dr. Daniel D. Deavours [Chairperson]

Dr. James Stiles

Dr. Erik Perrins

Cargo containers



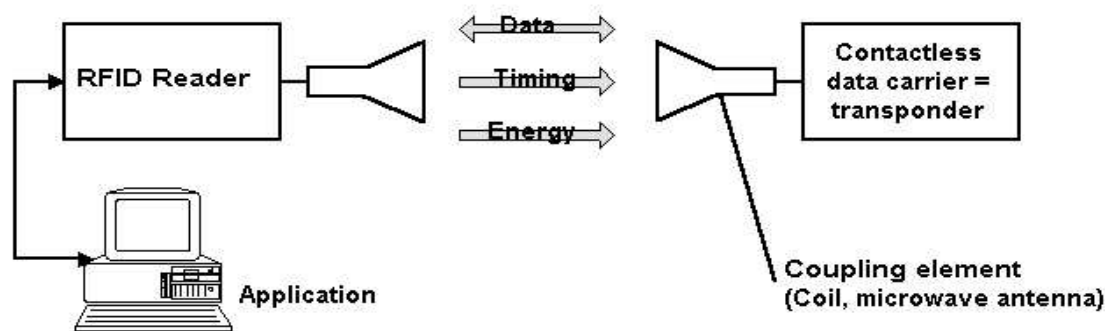
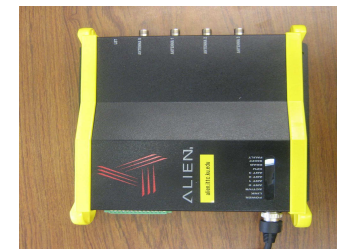
Why put passive RFID on Cargo Containers?

- Passive UHF RFID
 - No line of sight required
 - (Relatively) cheap
 - Long-life
 - Read at distance
 - Growing adoption
- Scan at distance in work flow
- Maintain EPC grouping
 - Item -> case -> pallet -> container -> ship



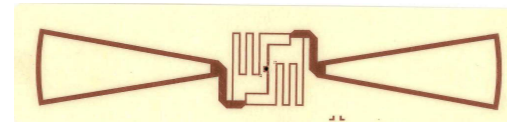
Passive UHF RFID- How does it work?

- Tag
- Reader
- Host
- Backscatter

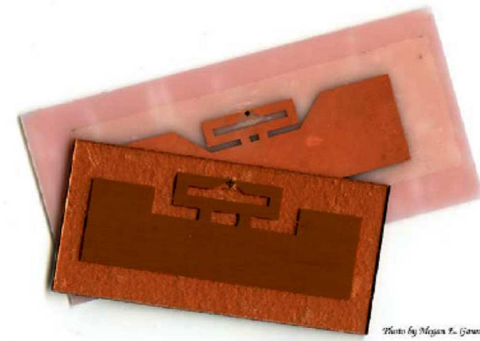
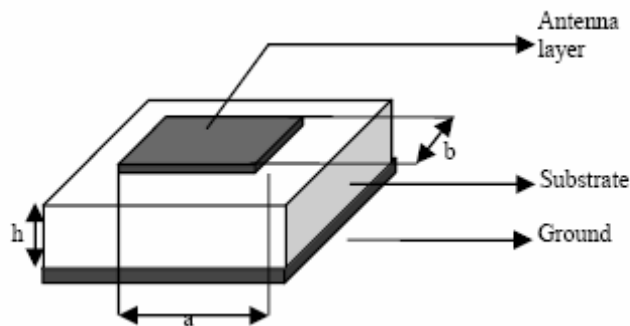


Limitations of Passive UHF RFID for Tagging Cargo

- Dipole antennas' performance degrade on metal [2][3][4]



- Microstrip antennas are a possible solution to the metal problem



- Frequency of Operation is different for different geographical regions
- Ex. 865-869 MHz in Europe, 902-928 MHz in the U.S.
- Microstrip antennas: trade-off performance, bandwidth

Thesis Statement

“To design and build a feasible dual-resonant passive UHF RFID tag that can operate on large metal assets over a wide frequency band and to subject the design to a rigorous theoretical analysis in order to completely characterize the antenna.”

Publications

Related to this work:

Supreetha Aroor and Daniel D. Deavours , " A dual-resonant microstrip-based UHF RFID 'Cargo' tag ," in *Proc. IEEE International Microwave Symposium*, Atlanta, GA, June 2008

Other:

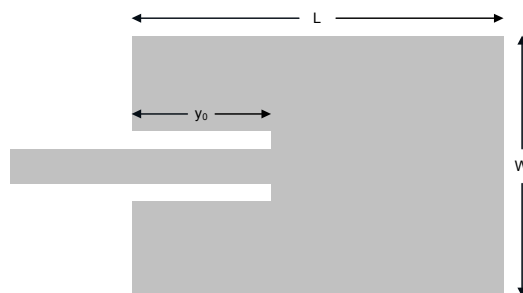
Supreetha R. Aroor and Daniel D. Deavours, "Evaluation of the state of passive UHF RFID: An experimental approach," *IEEE Systems Journal*

Previous Work

- Completely planar microstrip antenna[6]



- Inset feed

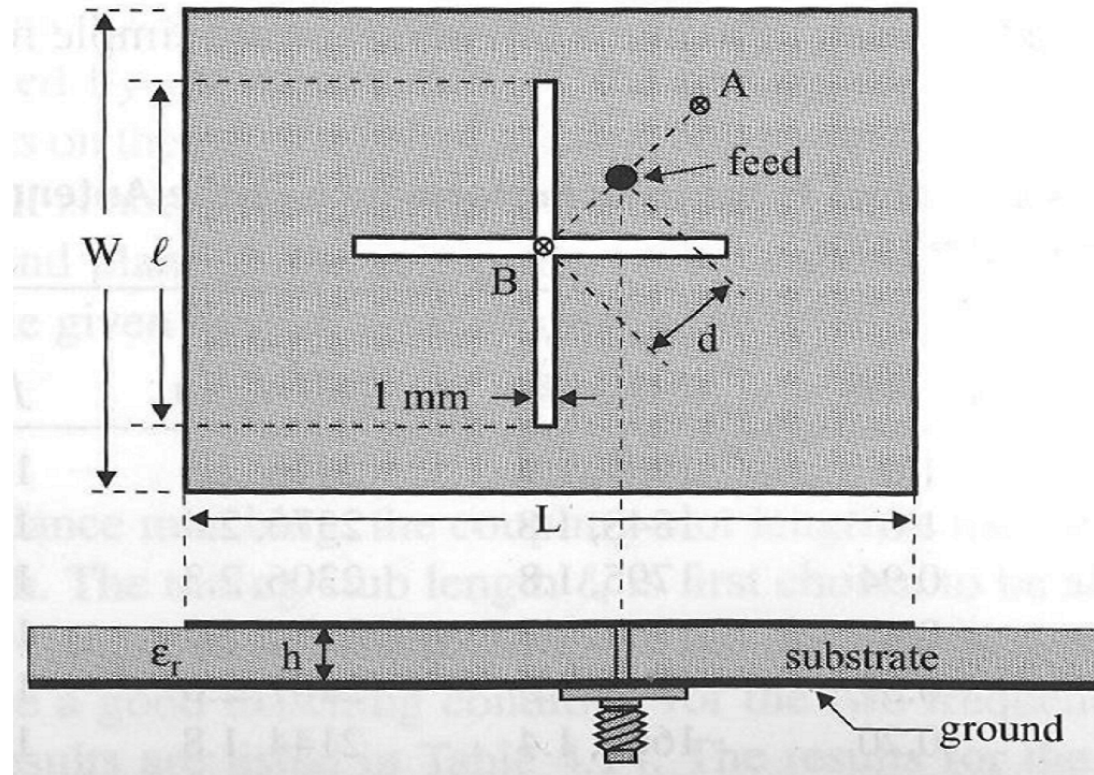


- Low IC Resistance [8-14 Ohms]

Solution: Place the matching circuit inside the antenna



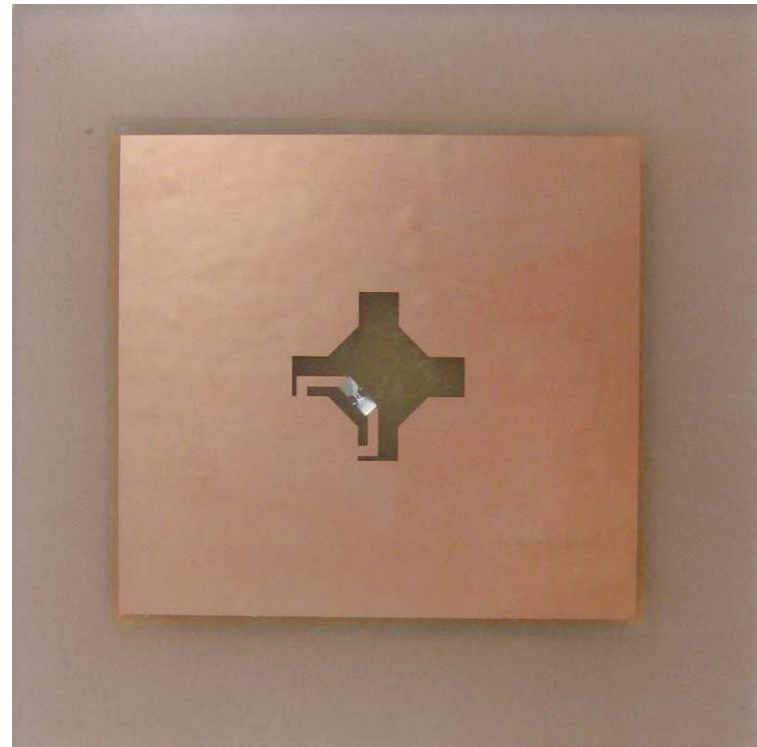
Inspirational Work



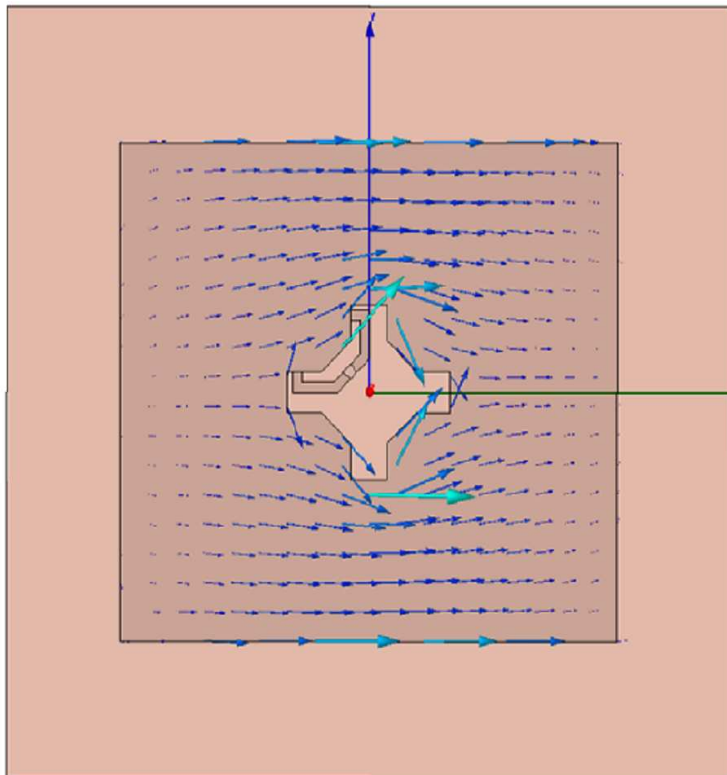
K. L. Wong and K. P. Yang, "Small dual-frequency microstrip antenna with cross slot," *Electronics Letters* 33, Nov 6, 1997[8]

Putting it all together

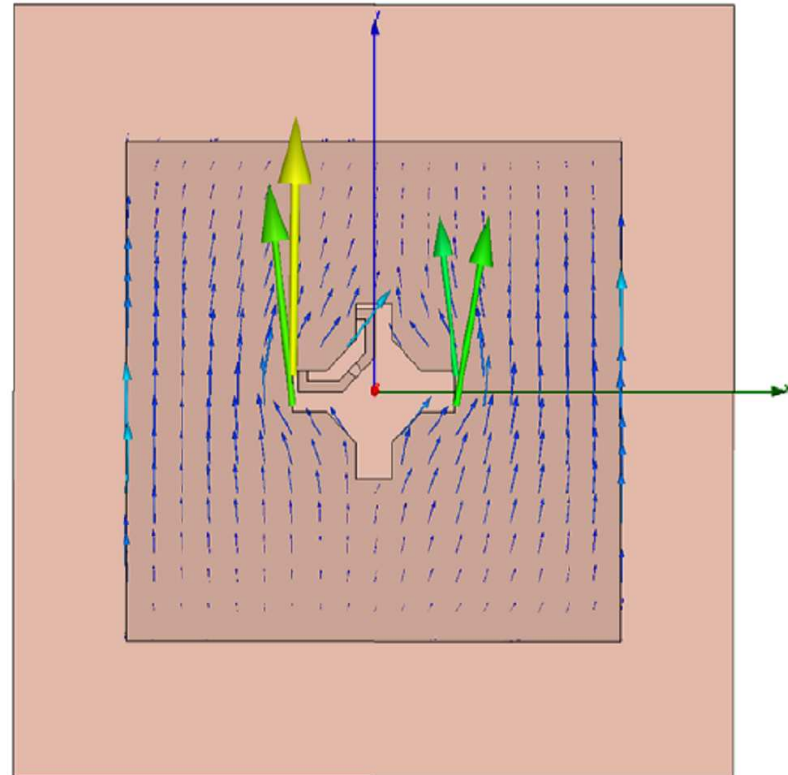
- Series edge-feed microstrip antenna
- Can place match inside the antenna
- Can use rectangle, feed on diagonal
 - Excites TM_{10} and TM_{01}
- Can place a cross slot to reduce form factor



Simulated Currents



867 MHz



915 MHz

Power Transfer

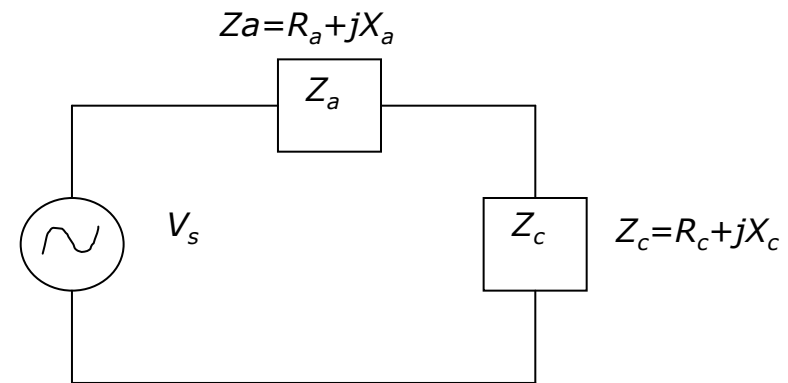
- Power Transfer Efficiency[14]

$$\tau = \frac{4R_a R_c}{|Z_a + Z_c|^2}$$

- Maximum Power Transfer

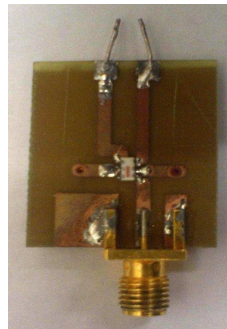
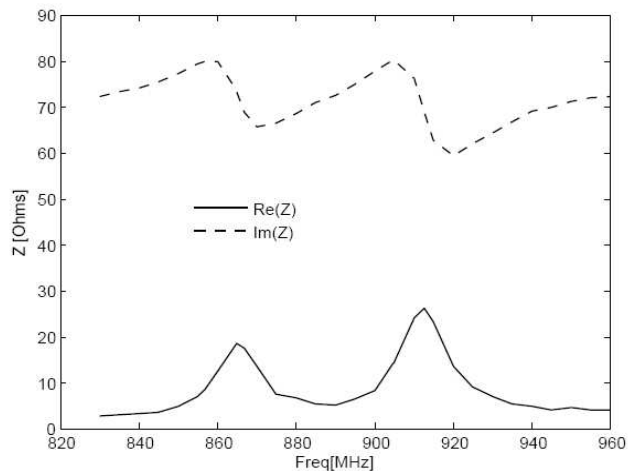
$$Z_a = Z_c^*$$

- $\tau = 1$ for maximum power transfer
- TI chip impedance: 13-j65 Ohms

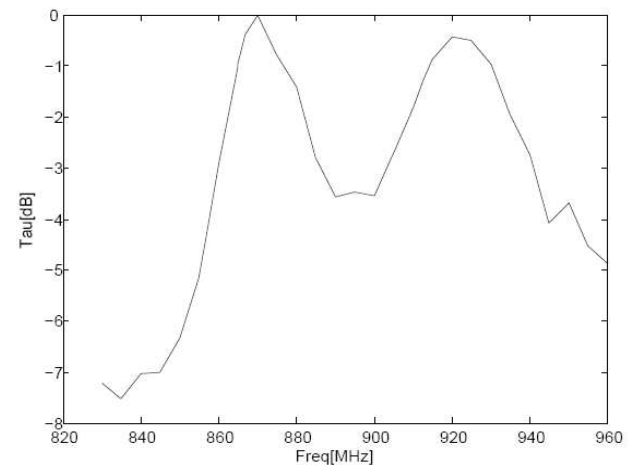


Measurements and Results

Measured Impedance



Measured Tau

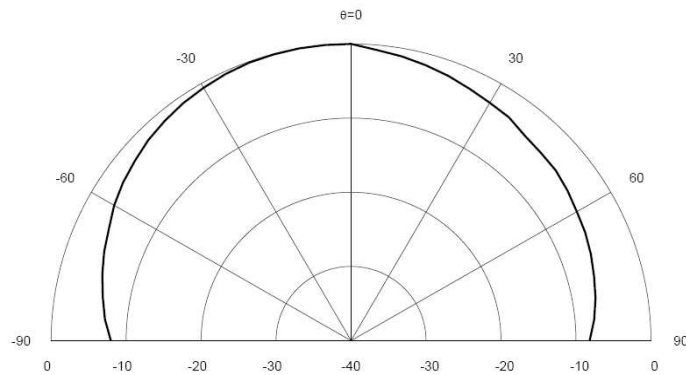


- Friis equation for RFID transponders:
 $P_{th} = -13 \text{ dBm}$, $G_t = 6 \text{ dBi}$, $G_r = 5.4 \text{ dBi}$, $\rho = -3 \text{ dB}$,
 $P_t = 30 \text{ dBm}$

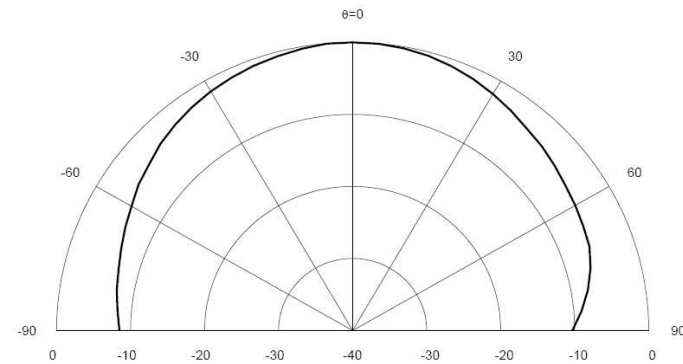
$$r = \frac{\lambda}{4\pi} \sqrt{\frac{P_t G_t G_r \tau \rho}{P_{th}}}$$

- Expected read distance is 9.7 meters [32 feet]
 With 3 dB ground reflection - 13.7 meters [45 feet]
- Measured: 18.3 meters [60 feet]

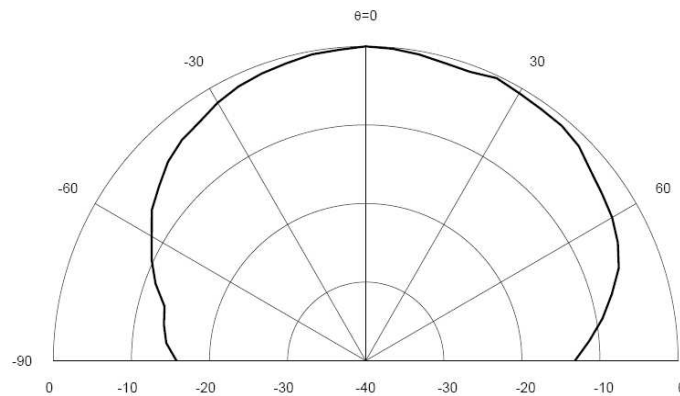
Measured Radiation Pattern



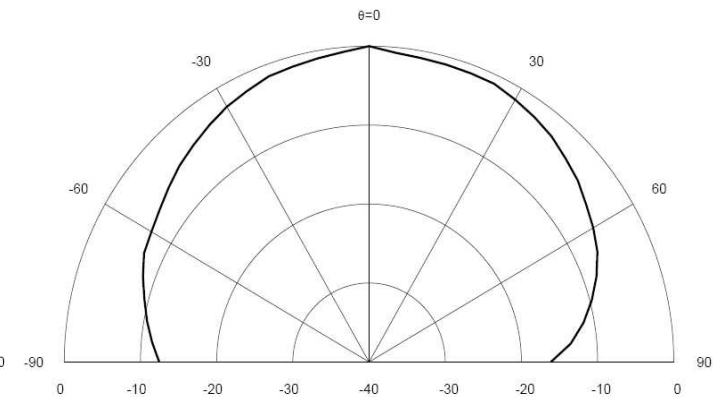
E-plane, 867 MHz



H-plane, 867 MHz

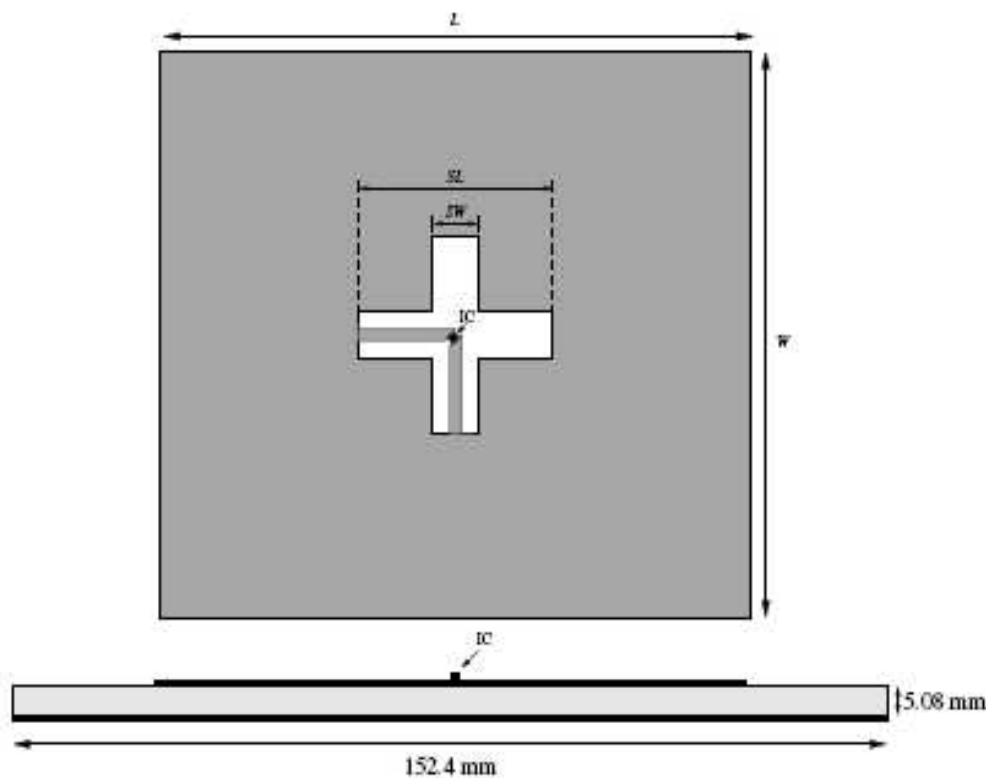


E-plane, 915 MHz



H-plane, 915 MHz

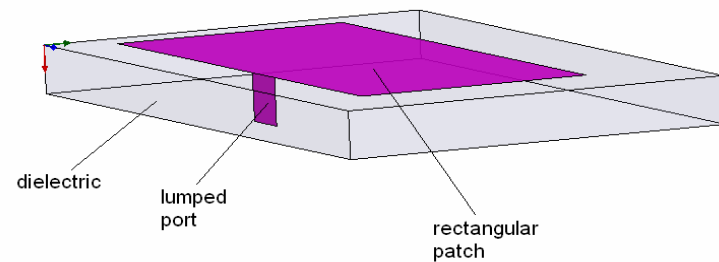
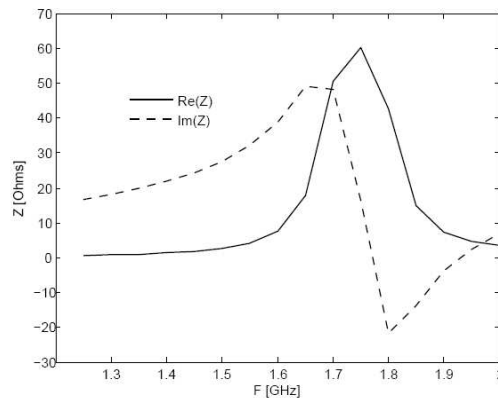
Modified Design



- Employs rectangular cross slots
- CPW Structure for feed and matching circuit
- Easier to subject to a rigorous theoretical analysis
- Circuit Model

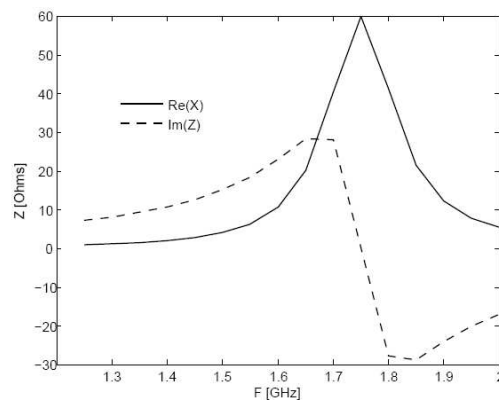
Microstrip Antenna Circuit Model

- Rectangular Patch: Impedance Graph



HFSS Simulation. The ground plane is below the substrate

- Parallel RLC Impedance Graph. First find R and Q. Compute L and C.



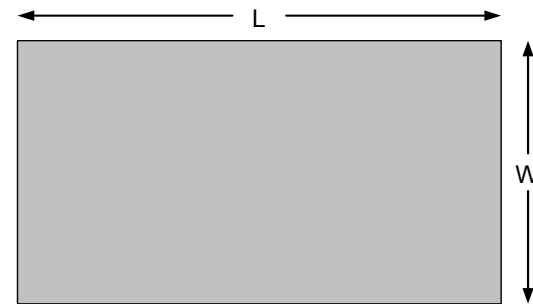
$$Q = \frac{R}{\sqrt{\frac{L}{C}}} \quad f_0 = \frac{1}{2\pi\sqrt{LC}}$$

Initial Step

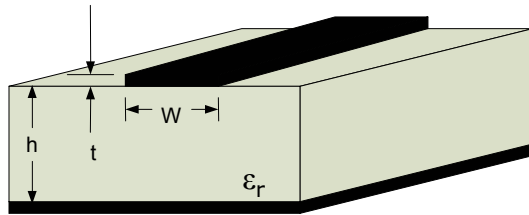
Determine the dimensions of rectangular patch for required resonant frequencies

Ex. Cavity model

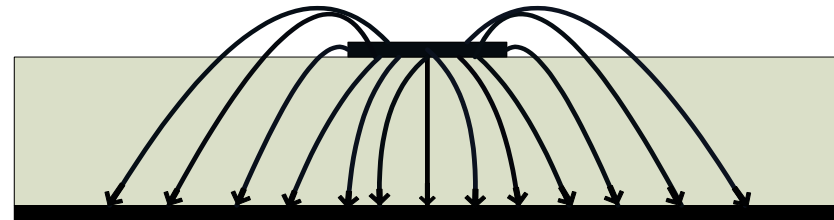
$$f_{r10} = \frac{1}{2L\sqrt{\mu\epsilon}} \quad f_{r01} = \frac{1}{2W\sqrt{\mu\epsilon}}$$



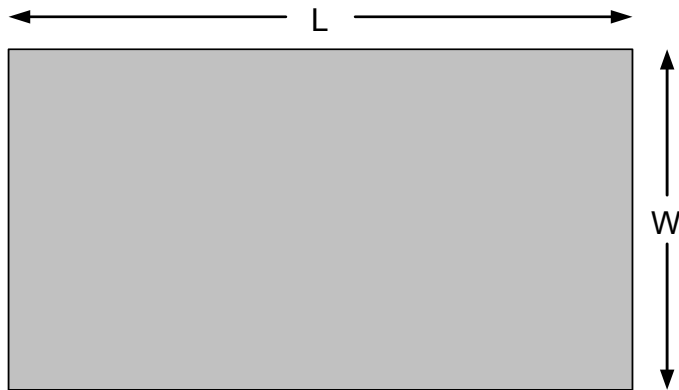
Transmission Line Model



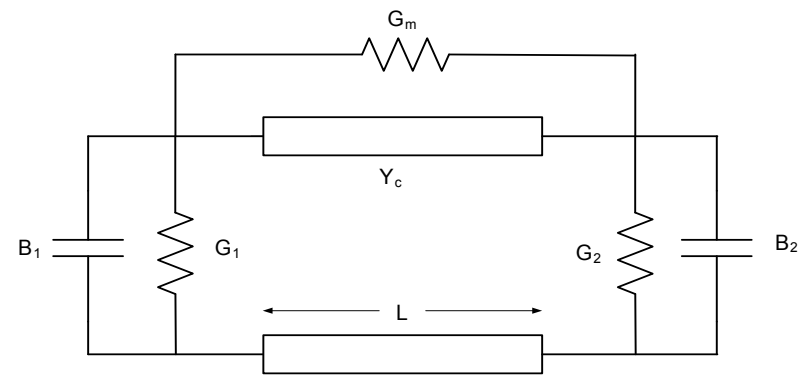
Microstrip Transmission Line



Fringing Fields



Rectangular Patch: Top view



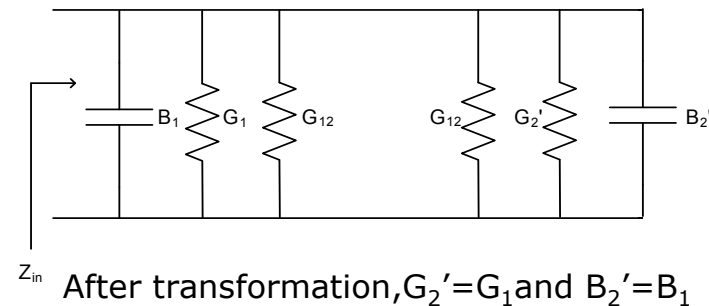
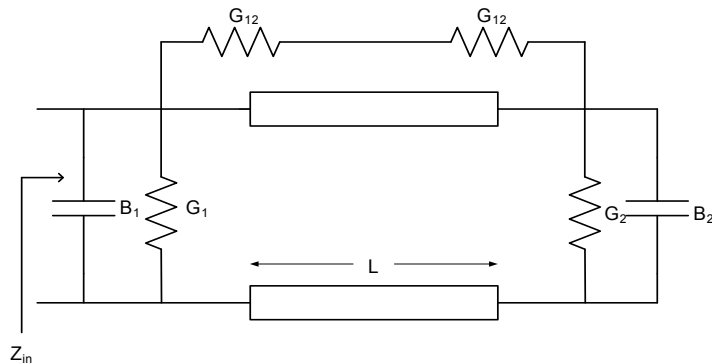
Transmission Line Model[10]

Radiating Input Resistance

The values of G_1 , G_{12} and R_{in} can be calculated using [10][11][12]:

$$G_1 = \begin{cases} \frac{1}{90} \left(\frac{W}{\lambda_0} \right)^2 & W \ll \lambda_0 \\ \frac{1}{120} \left(\frac{W}{\lambda_0} \right) & W \gg \lambda_0 \end{cases}$$

$$G_{12} = \frac{1}{120\pi^2} \int_0^\pi \left[\frac{\sin\left(\frac{k_0 W}{2} \cos\theta\right)}{\cos\theta} \right]^2 J_0(k_0 L \sin\theta) \sin^3\theta d\theta$$



$$R_{in} = \frac{1}{2(G_1 + G_{12})}$$

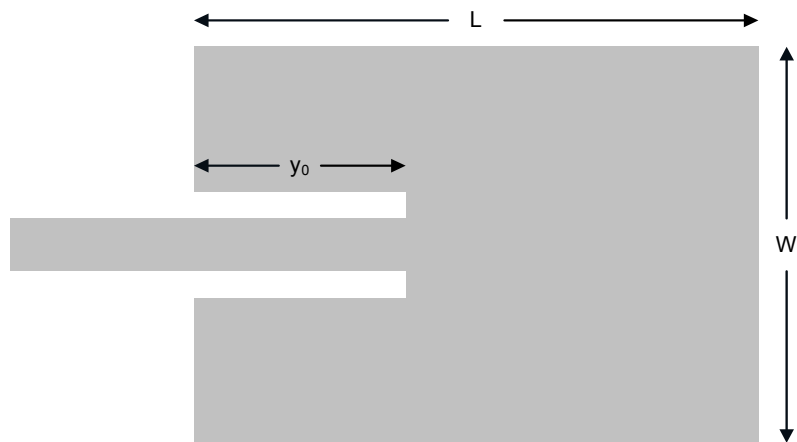
For 867 MHz,

$G_1 = 0.97 \text{ mS}$, $G_{12} = 0.35 \text{ mS}$ $R_{in} = 385 \text{ Ohms}$

For 915 MHz,

$G_1 = 1.2 \text{ mS}$, $G_{12} = 0.43 \text{ mS}$ $R_{in} = 303 \text{ Ohms}$

Input Resistance for Inset Feed



Rectangular patch with Inset Feed

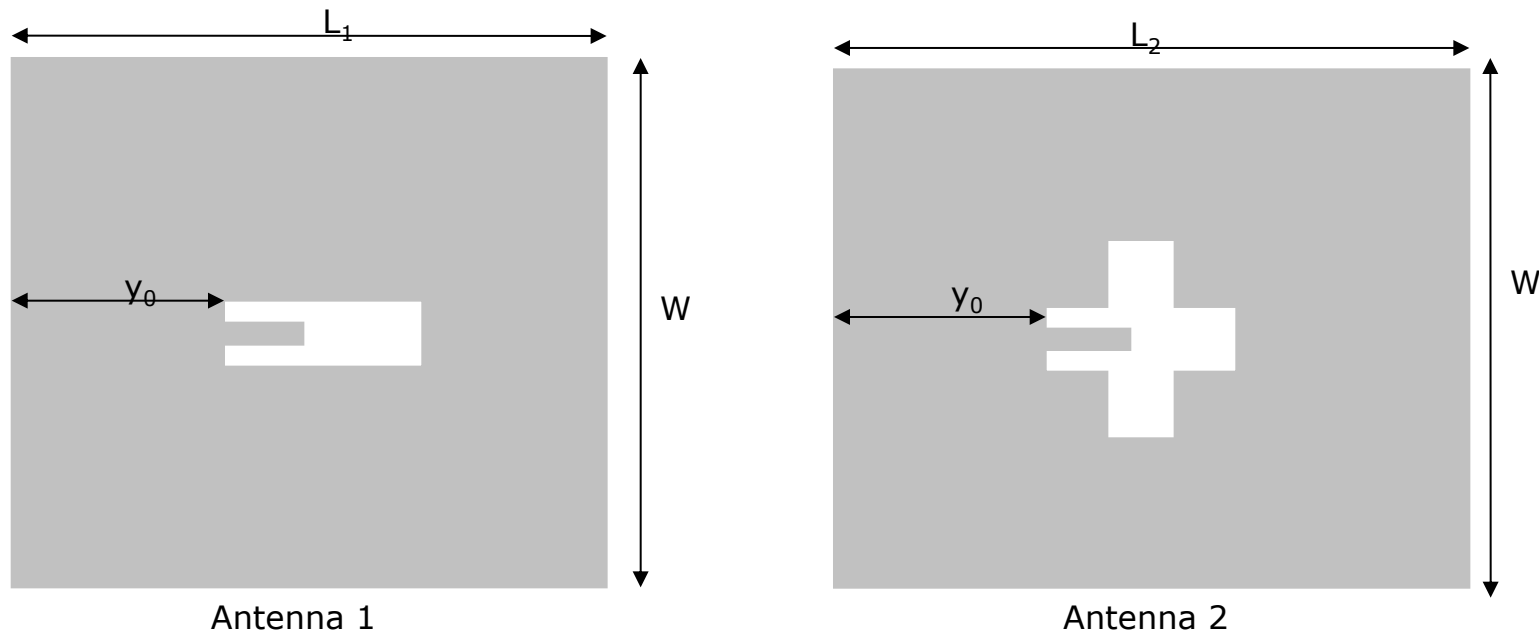
The input resistance for an inset fed rectangular patch is given by [10][13]:

$$R_{in(y=y_0)} = R_{in(y=0)} \cos^2\left(\frac{\pi y_0}{L}\right)$$

where,

$$R_{in(y=0)} = \frac{1}{2(G_1 + G_{12})}$$

Input Resistance for Inset Fed Rectangular Patch with Cross Slot



- Where $L_{eff} = L_1$ such that Antenna 1 and Antenna 2 have the same resonant frequency

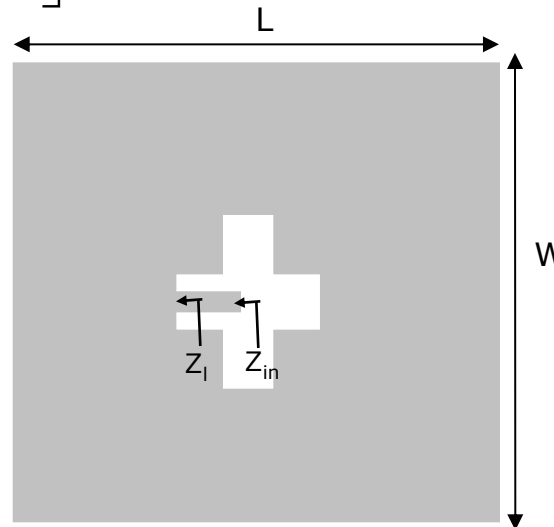
$$R_{in(y=y_0)} = R_{in(y=0)} \cos^2\left(\frac{\pi y_0}{L_{eff}}\right)$$

- $L_{eff}[867 \text{ MHz}] = 111 \text{ mm}$, $R_{in} = 39 \text{ Ohms}$, $L_{eff}[915 \text{ MHz}] = 106 \text{ mm}$, $R_{in} = 37 \text{ Ohms}$

Next Steps

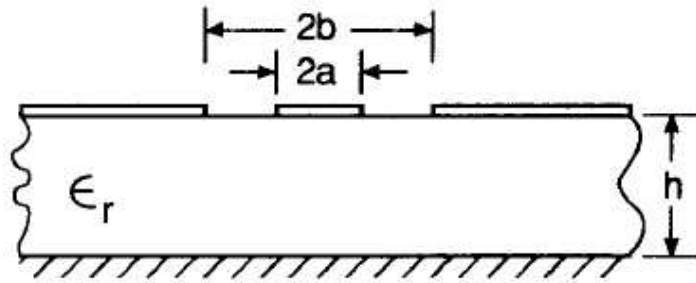
- Transmission Line Equation

$$Z_{in} = Z_0 \left[\frac{Z_l + jZ_0 \tan \beta l}{Z_0 + jZ_l \tan \beta l} \right] \quad , \beta l \text{ small, } Z_l \ll Z_0, \quad Z_{in} = Z_l + jZ_0 \beta l$$



- Find feed length, l by modeling the feed as a CPW.

CPW Characteristic Impedance



CPW with a ground plane

$$2a = 1 \text{ mm}$$

$$2b = SW = 9 \text{ mm}$$

$$Z_{0cp} = 155 \text{ Ohms}$$

$$l = 17.8 \text{ mm}$$

$$\beta = 24.15$$

$$jZ_0\beta l = j67$$

$$Z_{0cp} = \frac{60\pi}{\sqrt{\epsilon_{re}}} \frac{1}{K(k_1)/K'(k_1) + K(k_6)/K'(k_6)}$$

Where, $\epsilon_{re} = 1 + q(\epsilon_r - 1)$

$$k_6 = \frac{\tanh(\pi a / 2h)}{\tanh(\pi b / 2h)}$$

$$q = \frac{K(k_6)/K'(k_6)}{K(k_1)/K'(k_1) + K(k_6)/K'(k_6)}$$

$$\frac{K(k)}{K'(k)} = \frac{\pi}{\ln[2(1 + \sqrt{k'})/(1 - \sqrt{k'})]} \quad \text{for } 0 \leq k \leq 0.707$$

$$k_1 = a/b$$

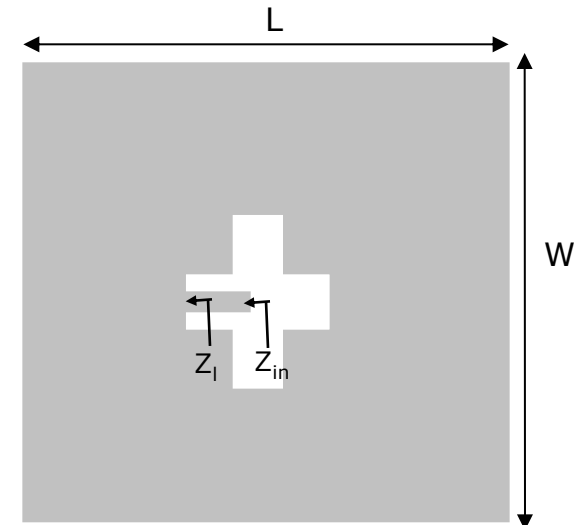
$$\frac{K(k)}{K'(k)} = \frac{1}{\pi} \ln[2(1 + \sqrt{k'})/(1 - \sqrt{k'})] \quad \text{for } 0.707 \leq k \leq 1$$

Input Resistance Challenge

- The input resistance decreases along the length of the feed
- $R_{in}[867]=16$ Ohms, $R_{in}[915]=15$ Ohms
- Cannot be modeled as a CPW transmission line
- Use simulated resistance values

Predicted	
Z_l	$39+j0$
Z_{in}	$39+j67$

Measured, HFSS,probe	
Z_l	$38+j4$
Z_{in}	$16+j72$



Quality factor

$$\frac{1}{Q_t} = \frac{1}{Q_{rad}} + \frac{1}{Q_c} + \frac{1}{Q_d} + \frac{1}{Q_{sw}}$$

$$Q_c = h\sqrt{\pi f \mu \sigma}$$

$$Q_d = \frac{1}{\tan \delta}$$

$$Q_{rad} = \frac{2\omega \epsilon_r}{hG_t/l} K$$

$$G_t/l = G_{rad}/W$$

$$K = L/4$$

For the cargo tag, $Q_t \approx Q_{rad}$

$$Q[867] = 45$$

$$Q[915] = 38$$

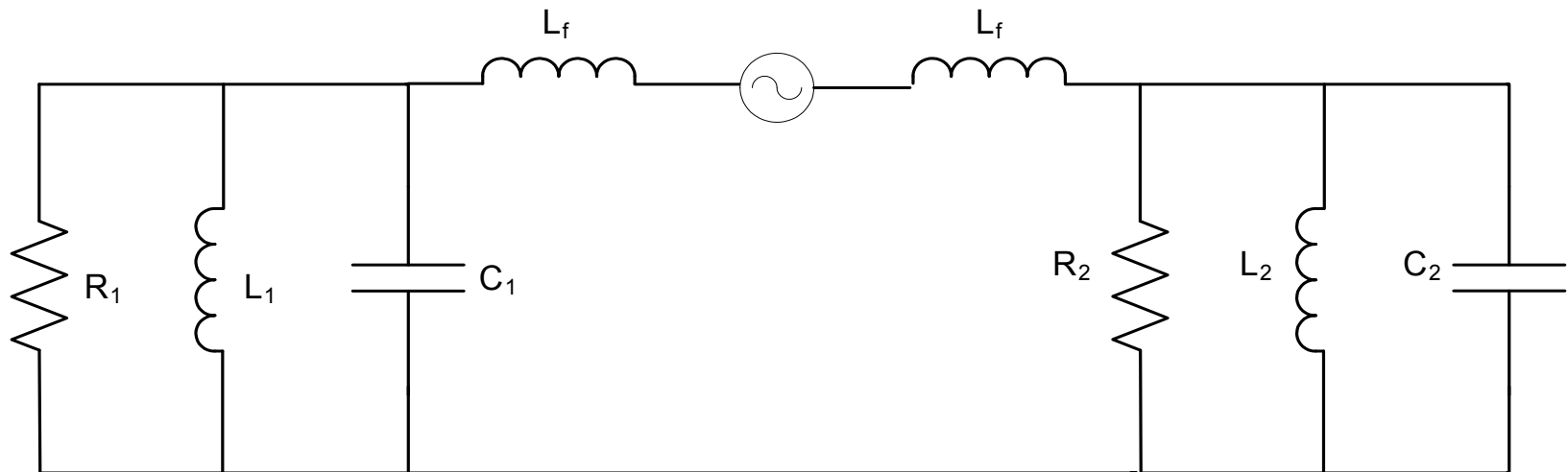
Find L and C as:

$$L = \frac{R}{Q\omega_0} \quad C = \frac{Q}{R\omega_0}$$

Putting it all together

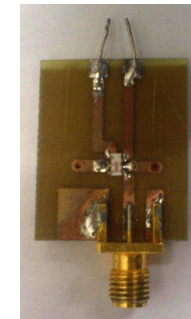
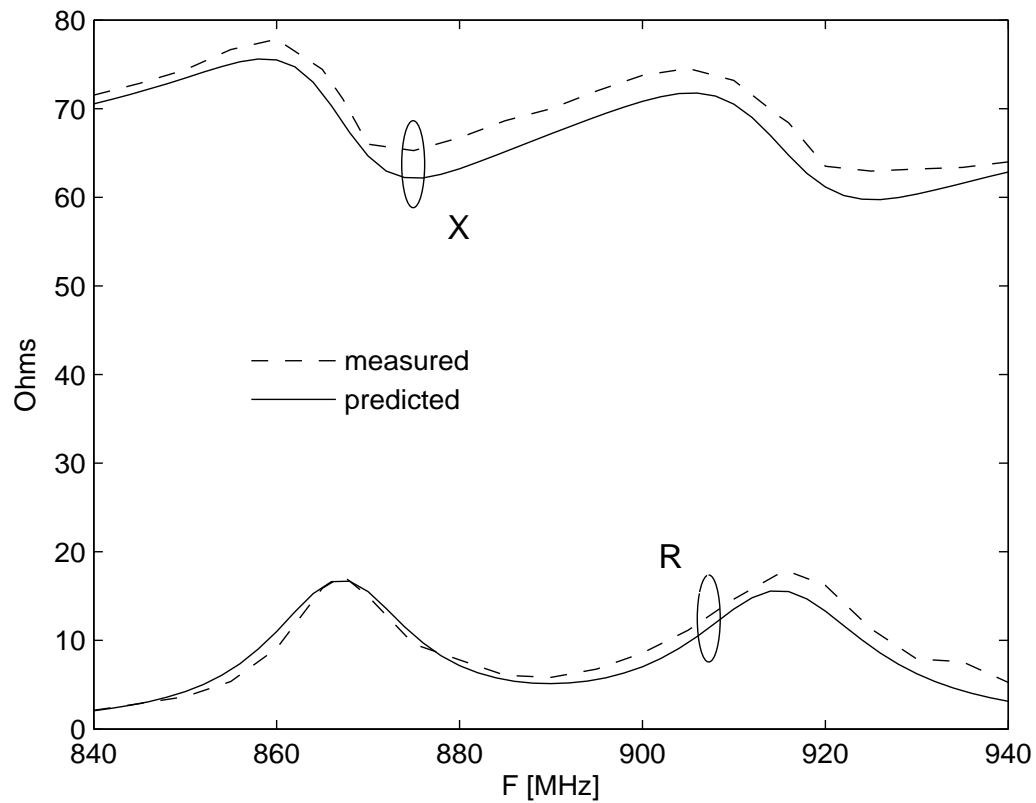
- Find the dimensions for resonance at 867 MHz and 915 MHz
- Find the slot length for the required input resistance
- Find the slot width and feed length, l , for the required reactance
- Calculate the quality factor, Q
- Knowing Q , f , and R , calculate the values of L and C for each resonance
- The two parallel RLC circuit are in series with two inductors used to model the feeds.
- Draw the circuit model
- Predict the impedance

Circuit Model

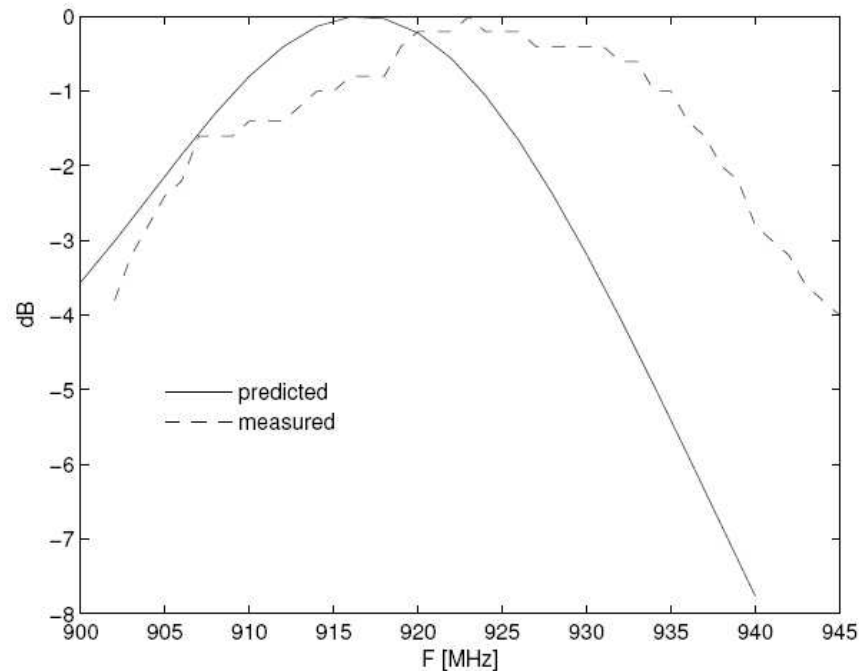


$R_1 = 16 \text{ Ohms}$, $R_2 = 15 \text{ Ohms}$, $L_f = 6.0 \text{ nH}$, $L_1 = 68 \text{ pH}$,
 $C_1 = 445 \text{ pF}$, $L_2 = 65 \text{ pH}$, $C_2 = 521 \text{ pF}$.

Predicted vs. Measured Impedance



Predicted vs. Measured Performance



Predicted:

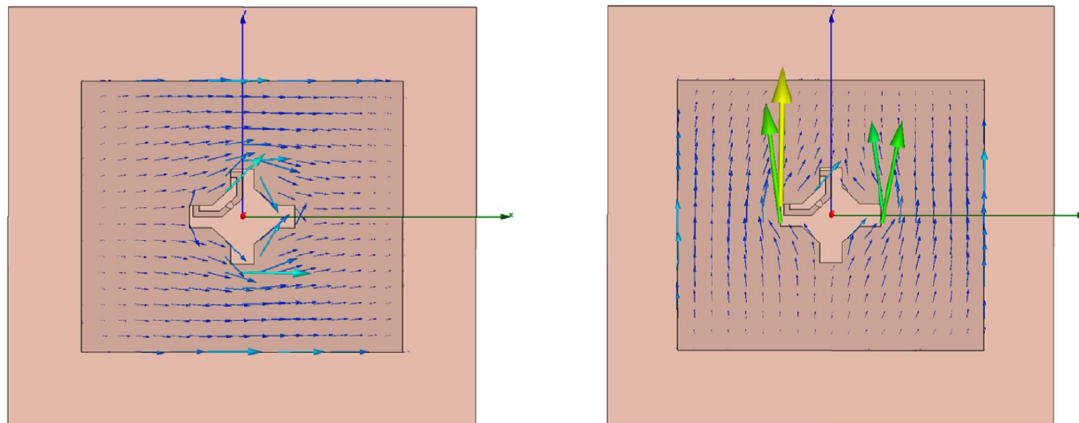
- Calculate tau over a range of frequencies.
- Normalize maximum performance to 0 dB

Measured:

- Place IC on the antenna.
- Place the tag at a distance of 2 m from the reader antenna and measure the turn-on power.
- Normalize the maximum performance to 0 dB

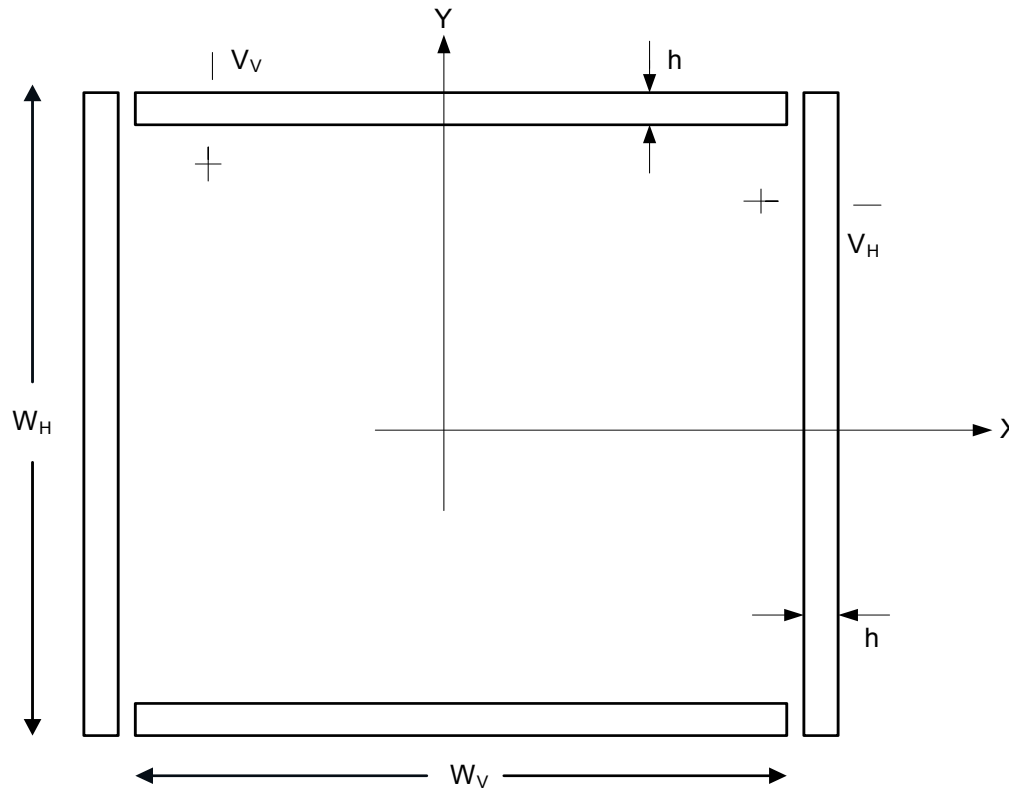
Polarization

Recall,



- Horizontally polarized and vertically polarized
- Can we characterize the polarization with the circuit model?

Aperture Field Model for the Cargo Tag



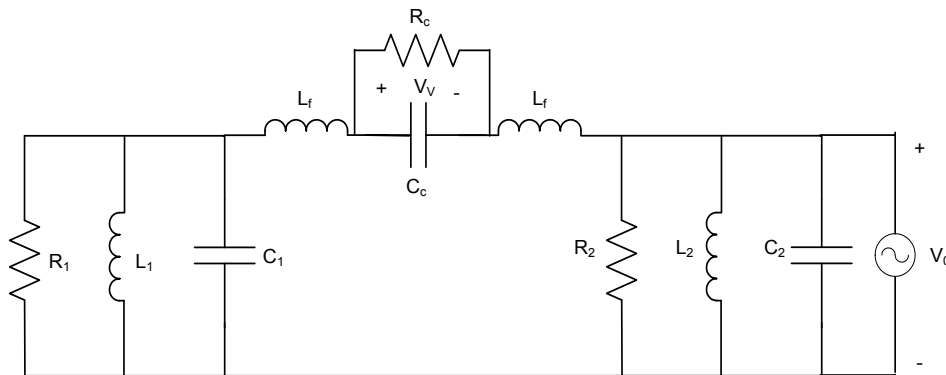
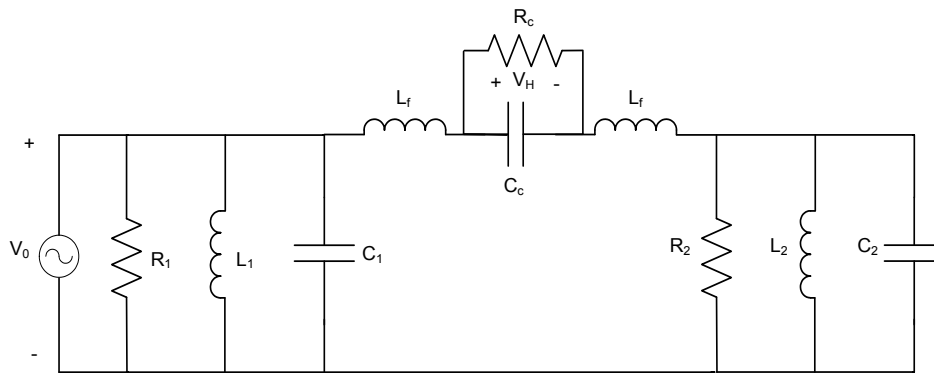
For broadside polarization, i.e., $\theta=0, \phi=0$ [15]:

$$E_H = -jk_0 V_H W_H \frac{e^{-jk_0 r}}{2\pi r} F_3$$

$$E_V = -jk_0 V_V W_V \frac{e^{-jk_0 r}}{2\pi r} F_3$$

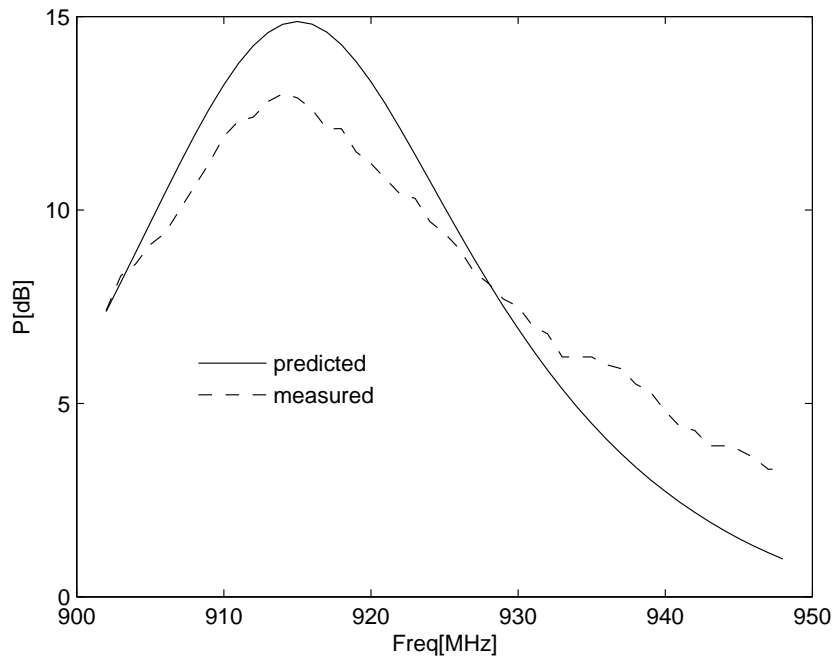
$$\frac{E_V}{E_H} = \frac{V_V}{V_H}$$

Polarization Models



Apply circuit analysis to find V_H and V_V for a range of frequencies

Predicted vs. Measured Vertical to Horizontal Polarization Power Ratio



$$\zeta = \frac{P_V}{P_H} = \frac{V_V^2}{V_H^2}$$

$$P[\text{dB}] = 10 \log P_V / P_H$$

Conclusion

- The proposed antenna design was simulated and validated using impedance and read distance measurements
- The antenna is dual-resonant and operates over a majority of the world's frequency range utilized for passive UHF RFID
- The design was modified to have a CPW feed structure and matching circuit
- A rigorous theoretical analysis was performed to give insight to the working of the antenna
- An accurate circuit model was found and validated with impedance and polarization prediction and measurement
- Open question: Why does the input resistance decrease along the feed length?

Future Work

- Explore the input resistance challenge
- More accurate impedance measurements
- More efficient IC's to double the read distance
- Smaller form factor

References

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3. D. M. Dobkins and S. Weigand, "Environmental effects on RFID tag antennas," in *IEEE MTT-S International Microwave Symposium*, Long Beach, CA, Jun. 2005, pp. 4-7.
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7. J. S. Chen and K.-L. Wong, "A single-layer dual-frequency rectangular microstrip patch antenna using a single probe feed," *Microwave and Optical Technology Letters*, vol. 11, pp. 83-84, Feb. 1996.
8. K.-L. Wong and K.-P. Yang, "Small dual-frequency microstrip antenna with cross slot," *Electronics Letters*, vol. 33, no. 2, pp. 1915-1916, Nov. 1997.
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15. P. Bhartia, I. Bahl, R. Garg, and A. Ittipiboon, *Microstrip Antenna Design Handbook*. Artech House Publishers, Nov. 2000.

Thank you

Questions?